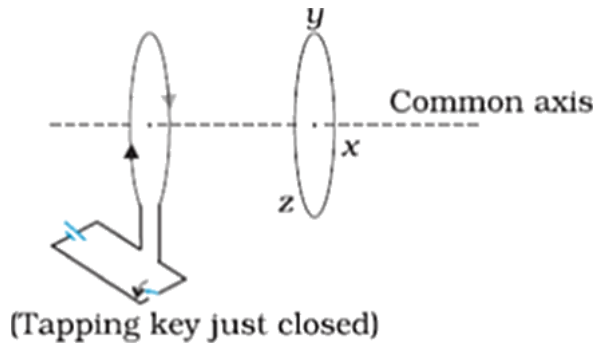


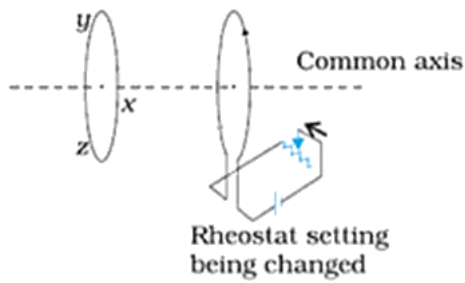
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(C)



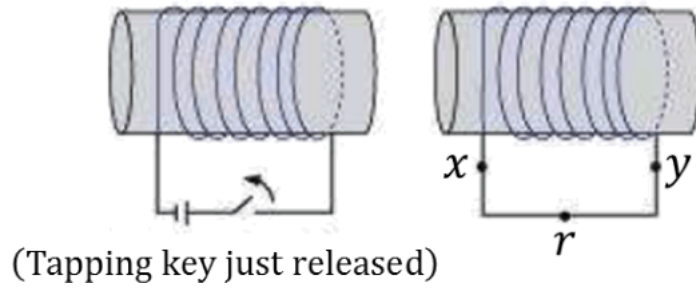
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(D)



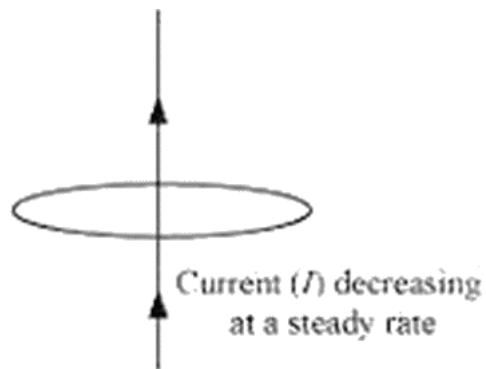
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(E)



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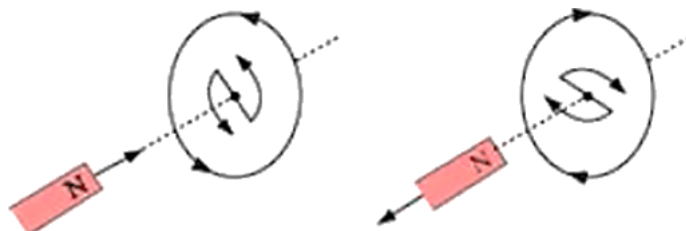
(F)



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Answer:

The direction of the induced current in a closed loop is given by Lenz's law. The given pairs of figures show the direction of the induced current when the North pole of a bar magnet is moved towards and away from a closed loop respectively.



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Using Lenz's rule, the direction of the induced current in the given situations can be predicted as follows:

- (A) The direction of the induced current is along $qrpq$.
- (B) The direction of the induced current is along $prqp$.
- (C) The direction of the induced current is along $yzxy$.

(C) The direction of the induced current is along $zyxz$.

(E) The direction of the induced current is along $xryx$.

(F) No current is induced since the field lines are lying in the plane of the closed loop.

Q: 2. A $1.0m$ long metallic rod is rotated with an angular frequency of 400 rad s^{-1} about an axis normal to the rod passing through its one end. The other end of the rod is in contact with a circular metallic ring. A constant and uniform magnetic field of $0.5T$ parallel to the axis exists everywhere. Calculate. The emf developed between the centre and the ring.

Answer:

Length of the rod, $l = 1m$

Angular frequency, $\omega = 400 \frac{\text{rad}}{\text{s}}$

Magnetic field strength, $B = 0.5T$

One end of the rod has zero linear velocity, while the other end has a linear velocity of $l\omega$.

Average linear velocity of the rod, $v = \frac{l\omega + 0}{2} + \frac{l\omega}{2}$

Emf developed between the centre and the ring,

$$e = Blv = Bl \left(\frac{l\omega}{2} \right) = \frac{Bl^2 \omega}{2}$$

$$= \frac{0.5 \times (1)^2 \times 400}{2} = 100V$$

Hence, the emf developed between the centre and the ring is $100V$.